KPK, PUBLIC SERVICE COMMISSION

(39)

Competitive Examination for the Posts of PMS, 2016

APPLIED MATHEMATICS, PAPER-1

Section A
Q.1(a) Find the Volumes of Solids generated by (10) revolving the regions bounded by the lines and curves about the x-axis y=√Cosx, 0≤x≤ ½, y=0, x=0 (b) Find the centres and sadir of the sphotos (10) $x^2 + y^2 + 3^2 + 4x - 42 = 0$ $x^2 + y^2 + y^2 + 4x - 42 = 0$ Q.2 (a) State and explain Green: theorem. (10) (b) A triangular body with the vertices (10) (0,0), (0,1) and (1,0) has the density function I (x,y) = xy. Find The total mass and Coordinates of centre of gravity. 0.3.(9) use triple integral to find the volume (10) enclosed between $x^2+y^2=25$ and the plane 2=5and x+z=q(b) what is principal of virtual work and its applications.

Q.4(a) State and explain Grauss theorem.

(b) Find the Centroid of the plane region bounded by parabola y=4x-x2 and the (10) line y=x

(30) Q.5 (a) Derive the tangential and normal (10) components of velocity and acceleration (b) State and explain Kepleris Law (10) Q.6 (a) A projectile is projected at on angle o So as to hit a target "M" which makes an angle & (& <0) with the horizontal. Show that the range of the projectile is $R = \frac{2 V_0 G so Sin(o-x)}{g G s x}$ (10) (b) Show that The angular momentum of the (10) torque-free symmetrical top rotates in The body convolinates about The symmetry axis with an angular frequency s. angular frequency s. 9.7 (a) Define Simple Harmonic Motion and desire The mathematical expression for velocity and prequency when The body is oxearing Simple Harmonic Motion (10) (b) If Ri is an antisymmetric matrix associated with The Gooden ates of the ith mass point of a system with alements $R_{mn} = \epsilon_{mn} e^{\kappa_E}$. Show that The marker of inertia tensor can be written as I = -mi(Ri) (10) Q.8 (a) State and explain parabola of safety (10) (b) Derive the sadial and transverse components I velocity and acceleration.